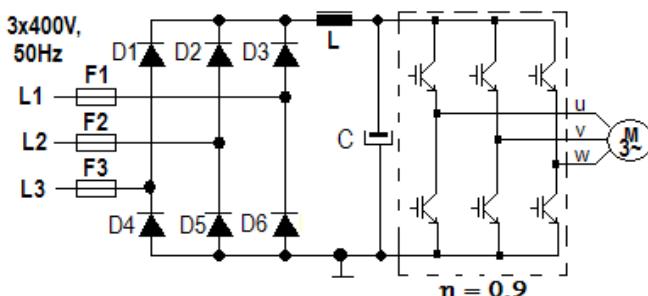


1. ZADATAK: Trofazni AC/AC pretvarač na Slici 1 se koristi za frekventnu regulaciju elektromotora čiji su podaci: 380V, 50Hz, 175A, 1485 ob/min, $\eta = 92\%$, $\cos\varphi = 0.85$. Stepen iskorišćenja trofaznog tranzistorskog pretvarača je $\eta_p = 90\%$. Za ulazni ispravljač su na raspolaganju diodni moduli SKKD100 čiji su tehnički podaci dati u Prilogu 1.



Slika 1- Trofazni AC/AC pretvarač

- (a) Projektovati LC filter u DC medjukolu ako je zahtevana talasnost DC napona $\leq 1\%$ i talasnost DC struje $\leq 20\%$.
- (b) Izračunati presek magnetnog kola prigušnice ako je širina vazdušnog procepa 3mm.
- (c) Projektovati sistem hlađenja diodnog ispravljača za temperaturni opseg okoline $-25^{\circ}\text{C}...+40^{\circ}\text{C}$, ako se pretpostavi da su svi moduli montirani na istom hladnjaku. Na raspolaganju je hladnjak tipa P3 i ventilator SKF-3-230-1 čiji su tehnički podaci dati u Prilogu 2. Za tako izabrani sistem hlađenja odrediti temperaturu na kućištu modula i temperaturu hladnjaka.
- (d) Izvršiti izbor ulaznih osigurača ako su na raspolaganju osigurači dati u Tabeli 1.

Tabela 1

Osigurač	I^2t (A^2s)	I (A)	AC napon (V)	Vrsta prema brzini
Tip 1	8500	160	690	ultra brz
Tip 2	2300	160	400	standardni
Tip 3	15500	200	690	ultrabrz
Tip 4	10000	200	690	standardni
Tip 5	8000	200	440	standardni
Tip 6	30000	250	690	ultrabrz
Tip 7	62000	315	690	ultrabrz
Tip 8	2000	125	690	ultrabrz

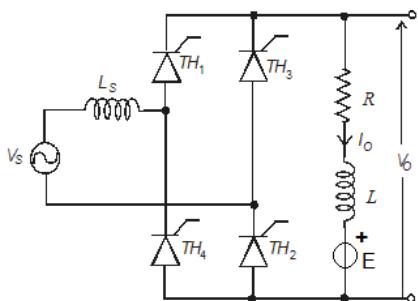
2. ZADATAK

Nacrtati električnu šemu monofaznog punotalasnog ispravljača sa C filtrom, koji je opterećen aktivnim opterećenjem. U zadatku je poznato: mrežni napon napajanja je $230\text{V}\pm 10\%$, 50Hz. Opseg promene opterećenja, odnosno otpornosti na izlazu ispravljača $500\Omega > R \geq 5\Omega$. Podaci o korišćenim diodama su $V_{to}=1\text{V}$, $r_d=5\text{m}\Omega$.

- (a) Proračunati vrednost kapacitivnosti filterskog kondenzatora C tako da pri maksimalnom opterećenju na izlazu ispravljača, talasnost jednosmernog izlaznog napona bude manja od 5%. Za ovako izračunate vrednosti kapacitivnosti odrediti jednosmernu vrednost i talasnost izlaznog napona pri maksimalnom i minimalnom opterećenju.
- (b) Kolika je maksimalna struja početnog punjenja kondenzatora C. Prepostaviti da je za izabrani kondenzator $ESR=50\text{m}\Omega$. Predložiti način za ograničenje struje početnog punjenja na vrednost 30A.
- (c) Izračunati efektivnu vrednost struje kondenzatora C i proceniti disipacione gubitke na njemu pri maksimalnom opterećenju na izlazu.

3. ZADATAK

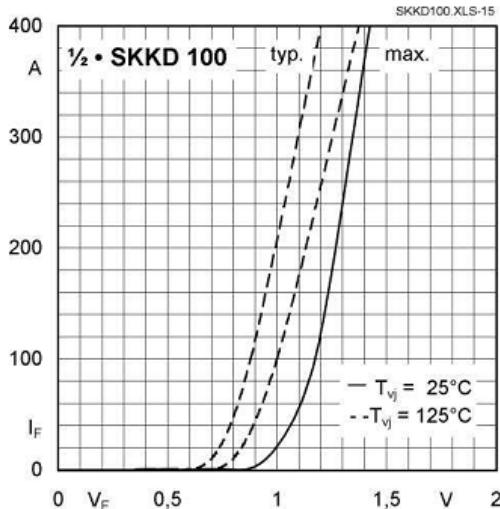
Za punoupravljeni tiristorski ispravljač za punjenje baterije napona E prikazan na slici je poznato: mrežni napon $v_s(t)=310\cdot\sin(100\pi t)$, $R=0.1\Omega$, $L_s=300\mu\text{H}$, $L\rightarrow\infty$, $E=110\text{VDC}$. Ugao upravljanja tiristora se menja u opsegu $0^{\circ}\leq\alpha<170^{\circ}$. Struja punjeva se održava na vrednosti $I_o=50\text{A}$. Temperaturni opseg rada ispravljača $0^{\circ}\text{C}...+45^{\circ}\text{C}$.



Slika 2- Tiristorski punjač baterije

- (a) Svi tiristori se montiraju na isti hladnjak. Termičke otpornosti tiristora iznose $R_{thj-c}=0.18\text{K/W}$, $R_{thc-s}=0.1\text{K/W}$. Električni parametri tiristora su $V_{to}=1.2\text{V}$, $r_d=2\text{m}\Omega$. Maksimalna dozvoljena temperatura na Si spoju tiristora je 125°C . Potrebno je odrediti termičku otpornost hladnjaka na koji su montirani tiristori.
- (b) Za projektovani hlanjak odrediti temperature na kućištu tiristora i na površini hladnjaka

PRILOG 1-Karakteristike dioda

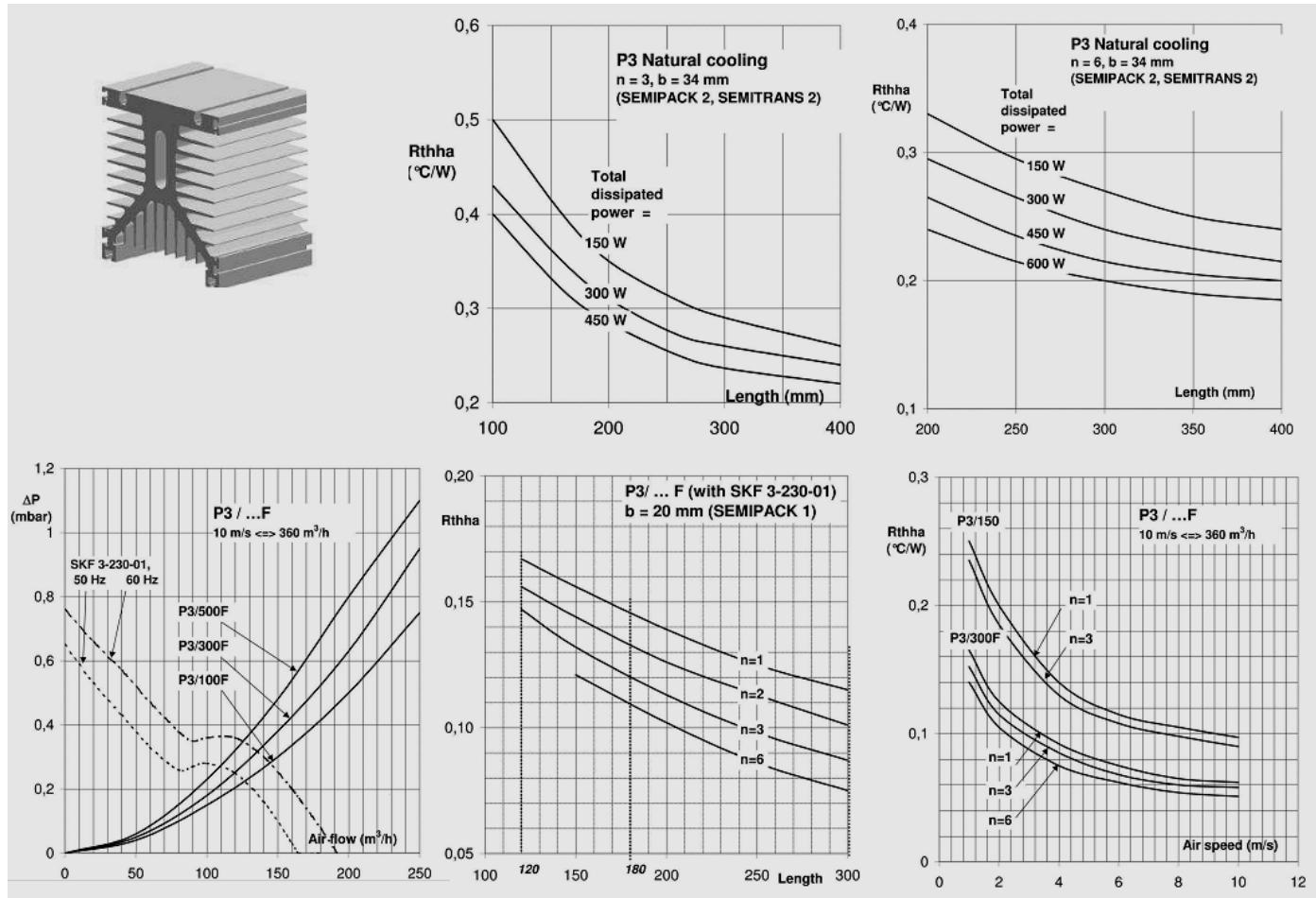


V_{RSM} V	V_{RRM} V	$I_{FRMS} = 175 \text{ A}$ (maximum value for continuous operation)
500	400	SKKD 100/04
900	800	SKKD 100/08
1300	1200	SKKD 100/12
1500	1400	SKKD 100/14
1700	1600	SKKD 100/16
1900	1800	SKKD 100/18

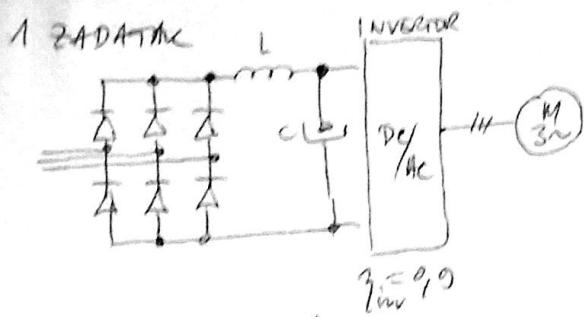
Symbol	Conditions	Values	Units
I_{FAV}	sin. 180; $T_c = 85$ (100) $^\circ\text{C}$	100 (67)	A
I_D	$P3/180$; $T_a = 45^\circ\text{C}$; B2 / B6	73 / 91	A
	$P3/180F$; $T_a = 35^\circ\text{C}$; B2 / B6	150 / 190	A
I_{FSM}	$T_{vj} = 25^\circ\text{C}$; 10 ms	2500	A
	$T_{vj} = 125^\circ\text{C}$; 10 ms	2000	A
i^2t	$T_{vj} = 25^\circ\text{C}$; 8,3 ... 10 ms	31250	A^2s
	$T_{vj} = 125^\circ\text{C}$; 8,3 ... 10 ms	20000	A^2s
$R_{th(j-c)}$	per diode / per module	0,35 / 0,175	K/W
$R_{th(c-s)}$	per diode / per module	0,2 / 0,1	K/W
T_{vj}		- 40 ... + 125	$^\circ\text{C}$
T_{stg}		- 40 ... + 125	$^\circ\text{C}$

PRILOG 2- Karakteristike hladnjaka i ventilatora

Standard lengths	n	b / d Ø mm	R_{thha} natural cooling K/W	R_{thha} with Fan SKF 3-230-01 K/W	w
P 3/120	1	20	0,55 (100W)	0,167	2,1
	3		0,43 (150W)	0,147	
P 3/180	2	20	0,39 (150W)	0,132	3,1
	3		0,36 (180W)	0,12	
	6		0,33 (200W)	0,108	
	1	34		0,144	
P 3/300	3	34		0,118	
				0,0847	5,3



(1)

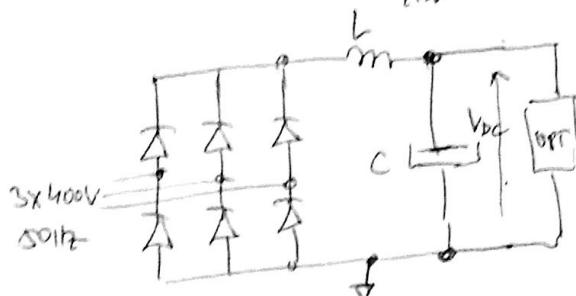


$$P_{MOT} = P_{elMOT} \cdot \eta$$

$$P_{elMOT} = \sqrt{3} \cdot U_m \cdot I_m \cos \varphi_m$$

$$P_{elMOT} = \sqrt{3} \cdot 380 \cdot 175 \cdot 0,85 = 97,78 \text{ kW}$$

$$P_{elInv} = \frac{P_{elMOT}}{\eta_{inv}} = \frac{97,78}{0,9} = 108,6 \text{ kW}$$



$$P_{opt} = 108,6 \text{ kW}$$

$$V_{DC} = \frac{3V_m}{\pi}$$

$$V_m = 400\sqrt{2}$$

$$V_{DC} = \frac{3 \cdot 400\sqrt{2}}{\pi} = 538,8 \text{ V}$$

$$2 \times 1,2 \text{ V} = 2,4 \text{ V DC MANN}$$

a) And so we can now calculate the resonance frequency $2 \times 1,2 \text{ V} = 2,4 \text{ V DC MANN}$

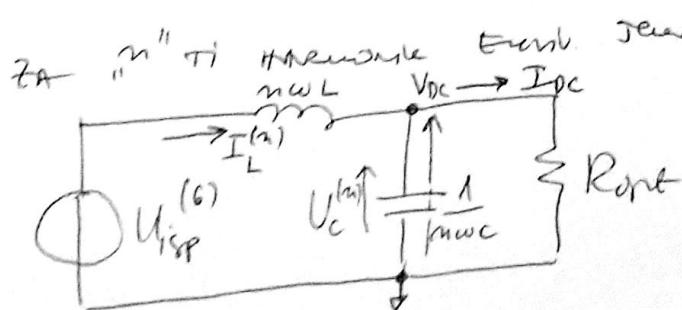
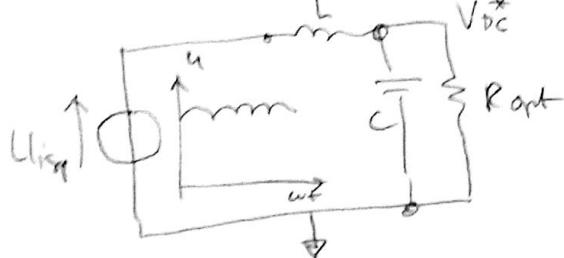
$$\text{ze: } V_{DC}^* = 538,8 - 2,4 = 536,4 \text{ V}$$

$$R_{opt} \approx \frac{V_{DC}^*}{I_{DC}} = \frac{V_{DC}^*}{P_{opt}} = \frac{V_{DC}^*}{\frac{P_{opt}}{V_{DC}}} = \frac{536,4 \text{ V}}{108,6 \text{ kW}} = 2,65 \Omega$$

$$U_{1cap} = \frac{3V_m}{\pi} + \frac{6V_m \cos 6\omega t}{35\pi} - \frac{6V_m \cos 2\omega t}{143\pi} \text{ cos 2\omega t -}$$

$$U_{1cap} \approx V_{DC} + \frac{6V_m \cos 6\omega t}{35\pi}$$

$$V_{DC} = \frac{3V_m}{\pi} \quad U_m^{(6)} = \frac{6V_m}{35\pi}$$



$$I_L^{(n)} = \frac{U_{1cap}^{(n)}}{X_e^{(n)}} = \frac{U_{1cap}^{(n)}}{m\omega L - \frac{1}{m\omega C}}$$

$$U_C^{(n)} = \frac{1}{m\omega C} \cdot U_{1cap}^{(n)}$$

$$I_{Lm}^{(n)} = \frac{U_{1capm}^{(n)}}{X_{ew}^{(n)}} \Rightarrow I_{Lm}^{(6)} = \frac{U_{1capm}^{(6)}}{X_{ew}^{(6)}} = \frac{U_{1capm}^{(6)}}{m\omega L - \frac{1}{m\omega C}}$$

$$I_{Lm}^{(6)} = \frac{m\omega C}{(m\omega)^2 LC - 1} \cdot U_{1capm}^{(6)}$$

$$U_{Cm}^{(6)} = \frac{U_{1capm}^{(6)}}{(m\omega)^2 LC - 1}$$

(e)

$$V_{DC} = \frac{3V_m}{\pi} \quad I_{DC} = \frac{3V_m}{\pi R} \quad \Delta I_L^{(n)} = 2I_{DC}^{(n)}$$

$$\Delta I_L^{(n)} = \frac{2 \cdot m \omega C \cdot U_{DC}}{(\omega R)^2 C - 1} \quad \Delta I_L^{(n)} = \frac{2 \cdot 6 \cdot \omega C}{(6\omega)^2 C - 1}$$

$$\left| \frac{\Delta I_L^{(n)}}{I_{DC}} = \frac{2U_{DC} \cdot m \omega C}{(\omega R)^2 C - 1} \cdot \frac{1}{\frac{3V_m}{\pi R}} \right|$$

$$\left| \frac{\Delta I_L^{(n)}}{I_{DC}} = \frac{2\pi R \cdot U_{DC}}{3V_m} \cdot \frac{m \omega C}{(\omega R)^2 C - 1} \right|$$

$$\frac{\Delta I_L^{(n)}}{I_{DC}} \leq \delta_i$$

$$\Delta U_C^{(n)} = 2U_{DC} = \frac{2U_{DC}}{(\omega R)^2 C - 1}$$

$$\frac{\Delta U_C^{(n)}}{U_C} = \frac{2U_{DC}}{(\omega R)^2 C - 1} \cdot \frac{1}{\frac{3V_m}{\pi}} = \frac{2\pi}{3V_m} \cdot \frac{U_{DC}}{(\omega R)^2 C - 1}$$

$$\left| \frac{\Delta U_C^{(n)}}{U_C} = \frac{2\pi}{3V_m} \cdot \frac{U_{DC}}{(\omega R)^2 C - 1} \right| \leq \delta_a$$

$$\frac{\delta_i}{\delta_a} = m \omega R \rightarrow C \geq \frac{1}{m \omega R} \cdot \frac{\delta_i}{\delta_a}$$

$$C \geq \frac{1}{m \omega R \cdot \left(\frac{\delta_i}{\delta_a} \right)}$$

$$\begin{aligned} & \delta_i = 1\% \\ & \delta_a = 2\% \\ & R = L = 2,65 \Omega \end{aligned}$$

$$C \geq \frac{1}{6 \cdot 3,14 \cdot 2,65 \cdot \frac{1}{20}} = 4005,13 \text{ pF}$$

Wert R C* = 4700 pF zu max 800 pF

Kennlinie messen und aus integrieren

(3)

$$L_{\text{DC}} = \frac{R}{105 \cdot \omega} = \frac{7,65}{105 \cdot 314} = 0,08 \mu\text{H}$$

somit muss $L \gg L_{\text{DC}}$

$$\frac{\Delta I_L^{(1)}}{I_{\text{DC}}} = U_{\text{DC}} \cdot \frac{6\omega C^2}{(6\omega)^2 LC - 1} = \frac{4R}{35} \cdot \frac{\frac{2}{3} \cdot \frac{1}{2}}{\frac{2}{3} \cdot \frac{1}{2}} \cdot \frac{6\omega C^2}{(6\omega^2 LC^2 - 1) \text{fakt}}$$

$$\frac{\Delta I_L^{(1)}}{I_{\text{DC}}} = \frac{4R}{35} \cdot \frac{6\omega C^2}{(6\omega^2 LC^2 - 1) \text{fakt}} \leq 0,2$$

$$(6\omega^2 LC^2 - 1) \geq \frac{4R}{35} \cdot \frac{6\omega C^2}{0,2} \Rightarrow LC^2 \geq \left[\frac{4R}{35} \cdot \frac{6\omega C^2}{0,2} + 1 \right] \text{fakt}^2$$

$$L \geq \frac{1}{(6\omega^2 C^2)} \cdot \left[\frac{4R}{35} \frac{6\omega C^2}{0,2} + 1 \right]$$

$$L \geq \frac{4R}{35} \frac{6\omega C^2}{(6\omega^2 C^2)} \cdot \frac{1}{0,2} + \frac{1}{(6\omega^2 C^2)}$$

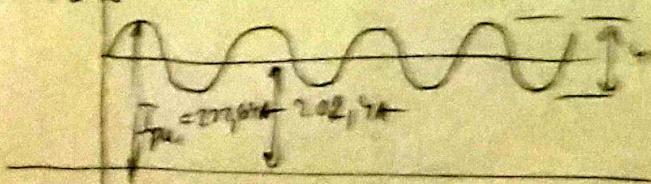
$$L \geq \frac{4R}{35} \cdot \frac{1}{6\omega} \cdot \frac{1}{0,2} + \frac{1}{(6\omega^2 C^2)}$$

$$L \geq \frac{4 \cdot 7,65}{35} \cdot \frac{1}{6 \cdot 314} \cdot \frac{1}{0,2} + \frac{1}{(6 \cdot 314^2 \cdot 47 \cdot 10^{-3})}$$

$$L \geq 0,2 \mu\text{H} + \frac{1}{1668744} = 0,2 \mu\text{H} + 0,006 \mu\text{H}$$

$$L \geq 0,806 \mu\text{H} \rightarrow \text{minimales } L^* = 0,8 \mu\text{H}$$

somit $I_{\text{DC}} = \frac{V_{\text{DC}}}{R_{\text{ext}}} = \frac{326,4 \text{ V}}{2,65 \text{ M}} = 202,7 \text{ A}$



$$202,7 \cdot 202,7 = 0,7 \cdot 202,7$$

$$\Delta I_L = 0,7 \cdot 202,7$$

$$I_{\text{PDC}} = 202,7 + 0,7 \cdot 202,7$$

$$I_{\text{PDC}} = 277,6 \mu\text{A}$$

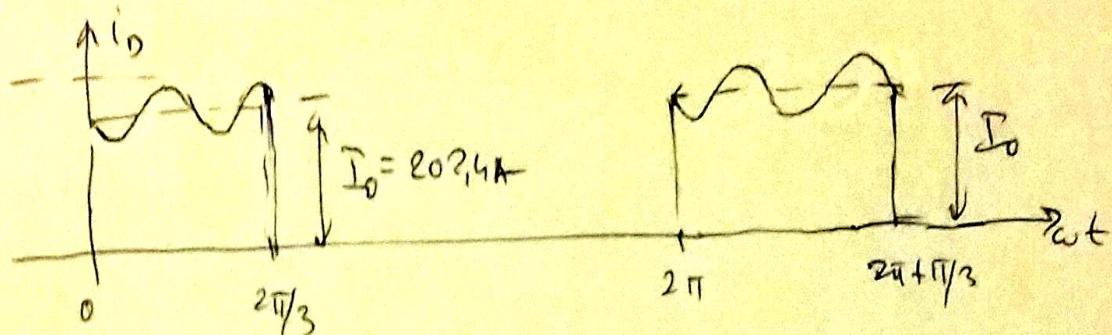
(4)

b) $V_\delta = \frac{LI_{\text{per}}^2}{B_{\text{max}}} \cdot \mu_0$ $\delta = 3 \text{ mm}$ $V_\delta = 1 \text{ m} \cdot \frac{227,64^2}{1,52} \cdot 4\pi \cdot 10^{-2}$
 $B_{\text{max}} = 1,5 \text{ T}$ $V_\delta = S_{\text{Fe}} \cdot \delta$ $V_\delta = 27,67 \text{ cm}^3$

$$S_{\text{Fe}} = \frac{V_\delta}{\delta} = \frac{27,67 \text{ cm}^3}{0,3 \text{ cm}} = 92,2 \text{ cm}^2$$

$$S_{\text{Fe}} > 92,2 \text{ cm}^2$$

c) 87mm² diode



$$I_{D8R} = \frac{I_0}{2\pi} \cdot \frac{2\pi}{3} = \frac{1}{3} I_0 = \frac{1}{3} I_{DC} = \frac{1}{3} \cdot 202,4 = 67,46 \text{ A}$$

$$I_{Deff} = \sqrt{I_0^2 \frac{1}{2\pi} \cdot \frac{2\pi}{3}} = \frac{I_0}{\sqrt{3}} = \frac{I_{DC}}{\sqrt{3}} = \frac{202,4}{1,73} = 117 \text{ A}$$

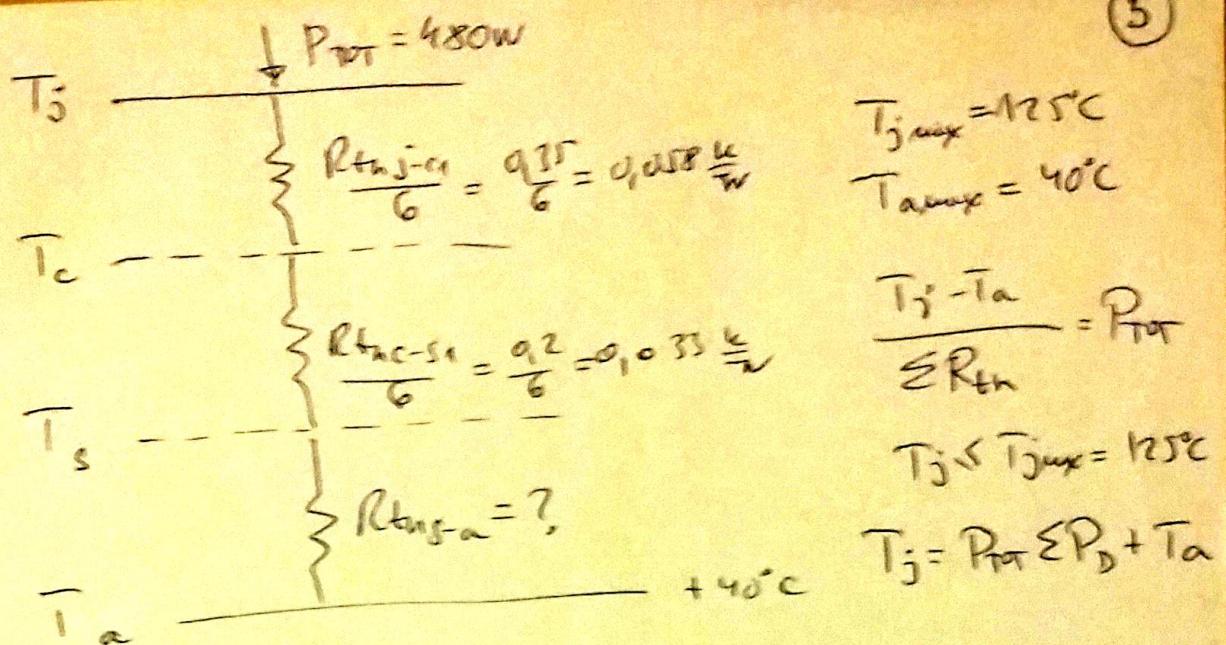
st. grafik 87 diod $I_d = f(V_d)$ bei octava (pm' max temp. sprit) $V_{TO} = 0,9 \text{ V}$ $V_d = \frac{1,44 - 1 \text{ V}}{3804 - 1004} = \frac{0,4 \text{ V}}{280} = 1,42 \text{ mV}$

Dissipat. 20% diode

$$P_{D1} = V_{TO} I_{D8R} + r_d \cdot I_{Deff}^2 = \underbrace{0,9 \cdot 67,46}_{60,7 \text{ W}} + \underbrace{1,42 \cdot 10^{-3} \cdot 117^2}_{19,43 \text{ W}} = 80,14 \text{ W}$$

$$\Sigma P_D = 6 \times 80 \text{ W} = 480 \text{ W} \quad (\text{vom 20% dissipat. auf 5% red.})$$

(5)



$$T_j = P_{\text{TOT}} \cdot \sum R_{\text{th}} + T_a \leq T_{j,\text{max}}$$

$$\sum R_{\text{th}} \leq \frac{T_{j,\text{max}} - T_a}{P_{\text{TOT}}} = \frac{T_{j,\text{max}} - T_a}{\sum P_D}$$

$$\sum R_{\text{th}} \leq \frac{125 - 40}{480} = 0,177 \frac{\text{K}}{\text{W}}$$

$$R_{\text{th},j-c} + R_{\text{th},c-s} + R_{\text{th},s-a} \leq 0,177 \frac{\text{K}}{\text{W}}$$

$$R_{\text{th},s-a} \leq 0,177 - 0,058 - 0,033 \approx 0,09 \frac{\text{K}}{\text{W}}$$

Za mazgik P_3 (priwaz) k mazgire da mazat da te
koristi njezina potrošnja. Hidraje sviča te bika. Hidraje
tipa $P_3/...$ F.

Za $m=3$ (3 credit reč) dobija se da je potreban da
hidraje $290 \text{ mm} \rightarrow$ mazgik $L_{\text{he}} = 300 \text{ mm}$. Da lije mazgik
hidraje $\propto P_3/300 \text{ F}$.

$$\text{Za } m=3 \text{ i za } P_3/300 \text{ F, uživo u voda da je } R_{\text{th}} = 909 \frac{\text{K}}{\text{W}}$$

je dobitak da je Brutto-timstrik vodou $V_{\text{air}} = 3,6 \text{ m}^3/\text{s}$
i da odgovara izmjenjivanju pravca $\approx 130 \text{ m}^3/\text{h}$ ($10 \text{ m}^3/\text{s} \rightarrow 360 \frac{\text{m}^3}{\text{h}}$)

Sa učinkovitosti $\Delta P = f(Q_v)$ se dobija da terminira

SLF 3-230-01, 2012 Brodogradilištvo Otočićeviće se u
pravcima isti učinkovitosti, rezultira i hidraje $P_3/300 \text{ F}$, jer
 $\Delta P \approx 0,25 \text{ bar}$

(6)

Temperatur T_{M0} :

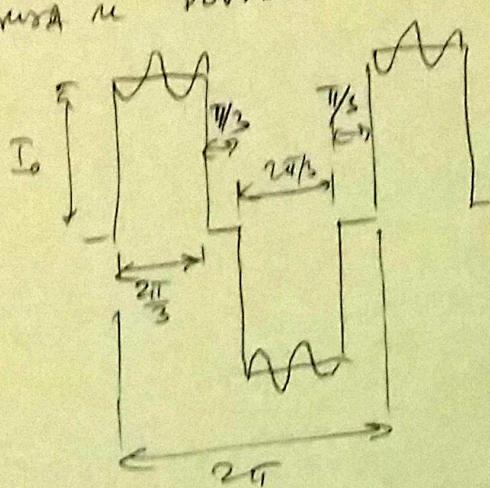
$$T_c = T_a + R_{\text{ther}} \cdot P_{\text{tot}} = 40^\circ C + 902 \cdot 460 \\ = 81,4^\circ C$$

Temperatur T_c mit:

$$T_c = T_s + 0,033 \cdot 460 = 81,4^\circ C + 15,18^\circ C = 96,6^\circ C$$

d) obigescheide auf DA-Basis mit 81,4°

Strom in Polaren



$$I_{\text{eff}} = \sqrt{2 \cdot \frac{I_0^2 \cdot \frac{2\pi}{3}}{2\pi}}$$

$$I_{\text{eff}} = \sqrt{\frac{2}{3} \cdot I_0^2 \cdot \frac{2\pi}{3}} = \sqrt{\frac{4}{9} I_0^2}$$

$$I_{\text{eff}} = \sqrt{\frac{2}{3} I_0^2} = \sqrt{\frac{2}{3}} I_0$$

$$\boxed{I_{\text{eff}} = 0,816 I_0 = 165 A}$$

Mittlere DC-Spannung zu 200V $I^2 t$ Abgabe $\geq I^2 t$ Kurzschlussstrom.

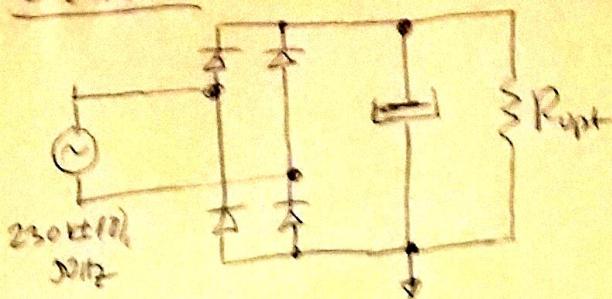
$$I^2 t_D \approx 2 I^2 t_{MB0}$$

$$I^2 t_{MB0} = \frac{1}{2} I^2 t_{\text{Abgabe}} = \frac{1}{2} 31750 = 15,6 \cdot 10^3 A^2 s$$

Mittelwerte für PPS 15500A²s, 200A, 690Vn

(7)

2 Phasen:



Sollte Rot & Schwarz

$$V_{TD} \approx 1V$$

$$r_d \approx 5\text{m}\Omega$$

$$\delta_n \leq 5\%$$

$$a) \delta_n = \frac{\Delta V}{V_{DC}} = \frac{2}{4fRC - 1} \leq 0,05 \quad R = R_{min} \text{ (max operat.)}$$

$$4fRC - 1 \geq 40 \Rightarrow 4fRC \geq 41$$

$$C \geq \frac{41}{4fR} = \frac{41}{4f \cdot R_{min}} = \frac{41}{4 \cdot 50 \cdot 5} = 0,041F$$

$$C \geq 41 \mu F = 41000 \mu F$$

$$\text{Measured } C^* = 47000 \mu F$$

Ergebnisse der Messungen 230V ± 10% zu MAX. ANOMALIE

$$\text{NA Werte: } R \text{ Dosis } U_{max} = 1,1 \cdot 230 \cdot \sqrt{2} = 356,73V$$

$$\text{zu messen normiert zu } 30\% \rightarrow U_c = 1,3 \cdot 356,73V = 463,73V$$

Meßwert zu kontinuierl. 47000 μF / 500V =

$$\Delta V_{max} = \frac{V_{max}}{2RC^*f} = \frac{V_{max}}{2R_{min} \cdot C^* \cdot f} = \frac{V_{max}}{2R_{min} C^* f} = \frac{356,73}{2 \cdot 5 \cdot 47 \cdot 50}$$

$$\Delta V_{max} = 15V \quad V_{DC}^{max} = V_{max} - \frac{\Delta V}{2} = 349,23V$$

$$\Delta V_{min} = \frac{230\sqrt{2}}{2 \cdot 5 \cdot 42_m \cdot 50} = 13,8V \quad V_{DC}^{min} = 230\sqrt{2} - 6,9 = 317,4V$$

$$\Delta V_{max}' = \frac{0,9 \cdot 230\sqrt{2}}{2 \cdot 5 \cdot 42_m \cdot 50} = 12,42V \quad V_{DC}^{min} = 0,9 \cdot 230\sqrt{2} - 6,9 = 285,67V$$

bei Min. operation (R → R_{min}) dann wird zu $R_{opt} = 500\Omega$

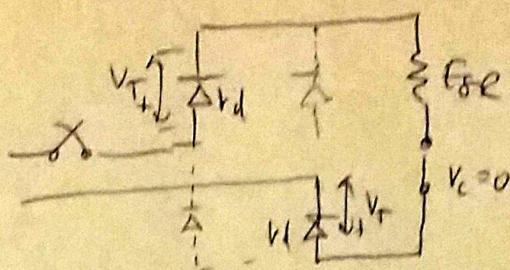
$$\Delta V_{max}' = \frac{230\sqrt{2}}{2 \cdot 500 \cdot 42_m \cdot 50} = 9,138V \quad V_{DC} = 230\sqrt{2} - 9,138/2 \times 230\sqrt{2} V$$

(8)

b) $ESR = 50 \mu\text{V}$

$V_{TO} \approx 1V$

$r_d = 50 \mu\Omega$



* MAX fórmula pungut C se inta pri Max. uclz. mirem

$$U_{ue}^{\max} = 1,1 \cdot 230 \cdot \sqrt{2} = 356,73V$$

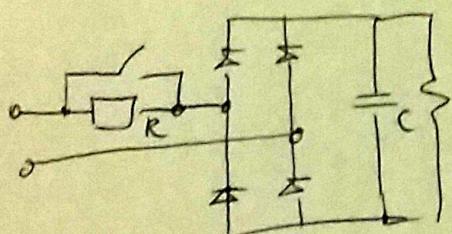
$$I_{pung} = \frac{(U_{ue}^{\max} - 2V_{TO})}{(2r_d + ESR)} = \frac{356,73 - 2 \cdot 1}{2 \cdot 5 \mu\text{V} + 50 \mu\text{V}}$$

$$I_{pung} = \frac{356,73 V}{60 \mu\text{V}} = 5,91 \mu\text{A}$$

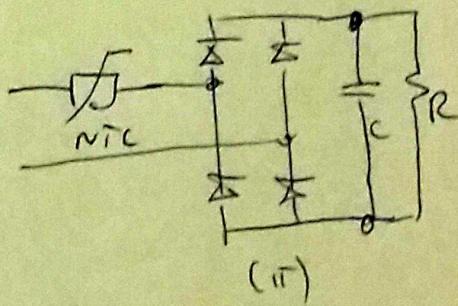
* Pri mirem 230V $U_{ue}^{\max} = 230 \cdot \sqrt{2} = 324,3V$

$$I_{pung} = \frac{324,3 - 2 \cdot 1}{10 \mu\text{V} + 50 \mu\text{V}} = 5,37 \mu\text{A}$$

* Obrázek fórmule pungut ONVZ mirem



(I)



(II)

$I_{pp} = 57 \mu\text{A}$
pozemka
pungut

$R = R_{MTC} = ?$

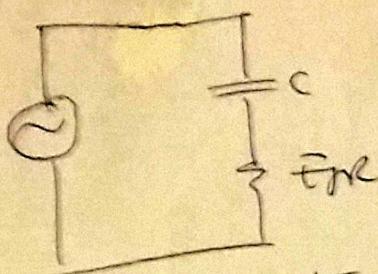
$$I_{pp} = \frac{U_{ue}^{\max} - 2V_{TO}}{R} \leq 30 \mu\text{A}$$

$$R_{MTC} = R \geq \frac{U_{ue}^{\max} - 2V_{TO}}{I_{pp}} = \frac{356,73 - 2 \cdot 1}{30} = 11,82 \Omega$$

Měřme $R_{MTC} = 12 \Omega$

(9)

7) Berechnen Sie die effektive Stromstärke für den Hakenkreis



$$I_{eff}^{(2)} = \frac{\frac{\Delta V_{max}}{2\sqrt{2}}}{\sqrt{E8R^2 + \left(\frac{1}{2\pi C}\right)^2}}$$

$$I_{eff}^{(2)} = \frac{\frac{15}{2\sqrt{2}}}{\sqrt{0,0075 + \left(\frac{1}{2\pi \cdot 50 \cdot 47 \mu F}\right)^2}} = \frac{7,5/\sqrt{2}}{\sqrt{0,0075 + 0,0046}}$$

$$\approx 0,0075 \quad \approx 0,0046$$

$$I_{eff}^{(2)} = \frac{7,5/\sqrt{2}}{0,08426} = 63,1 A$$

$$P_{Diss} = E8R \cdot \left(I_{eff}^{(2)}\right)^2 \approx 700 W \quad (\text{dies ist eine sehr starke Differenz})$$

Verringern wir nun die Kapazität auf $4700 \mu F$ um die dissipative Leistung zu erhöhen.

Diese Verringerung führt zu einer Kapazität von $\frac{4700}{10} = 470 \mu F$

$$I_{eff,1}^{(2)} = \frac{7,5/\sqrt{2}}{\left[\left(5 \mu F\right)^2 + \left(\frac{1}{2\pi \cdot 50 \cdot 47 \mu F}\right)^2\right]^{1/2}} = \frac{7,5/\sqrt{2}}{0,46} \approx 11,56 A$$

$$P_{Diss,1} \approx E8R \cdot \left(I_{eff,1}^{(2)}\right)^2 \cdot 0,46 = 0,05 \cdot 11,56^2 = 6,7 W$$

(10)

3. Problem

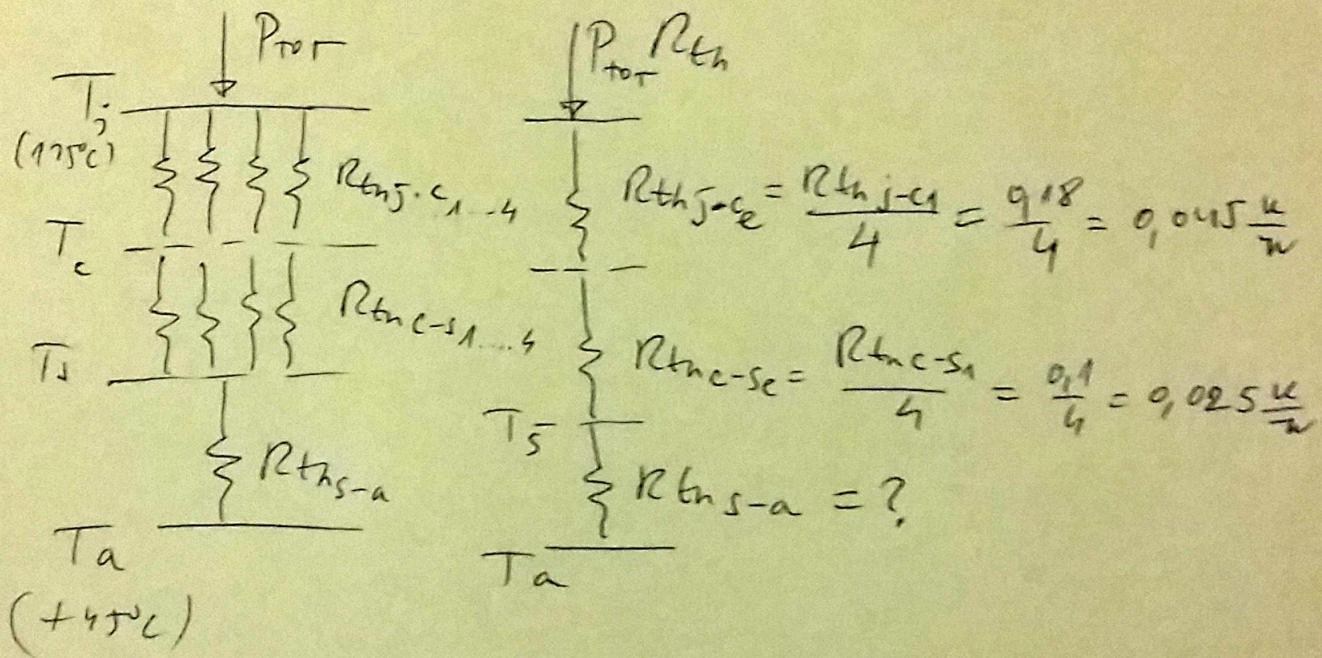
$$I_0 = 50 \text{ A} \quad I_{T\text{oe}} = \frac{I_0}{2} = 25 \text{ A}$$

$$I_{\text{eff}} = \frac{I_0}{\sqrt{2}} = \frac{50}{\sqrt{2}} = 35,46 \text{ A}$$

$$P_{\text{Diss},1} = V_{\text{D}0} \cdot I_{T\text{oe}} + V_{\text{D}1} \cdot I_{\text{eff}}^2$$

$$P_{\text{Diss},1} = 1,2 \cdot 25 + 2 \cdot 35,46^2 = 30 \text{ W} + 2,5 \text{ W} = 32,5 \text{ W}$$

$$\sum P_{\text{Diss}} = P_{\text{NT}} = 4 \cdot P_{\text{Diss},1} = 4 \cdot 32,5 \text{ W} = 130 \text{ W}$$



$$\frac{T_j - T_a}{\sum R_{\text{th}}} = P_{\text{NT}} \quad T_j \leq 125^\circ\text{C} = T_{\text{j, max}}$$

$$T_j = P_{\text{NT}} \cdot \sum R_{\text{th}} + T_a = P_{\text{NT}} (R_{\text{th},j-c_1} + R_{\text{th},c-s_1} + R_{\text{th},s-a}) + T_a \leq T_{\text{j, max}} = 125^\circ\text{C}$$

$$T_j = P_{\text{NT}} (0,045 + 0,025 + R_{\text{th},s-a}) + T_a \leq T_{\text{j, max}} = 125^\circ\text{C}$$

$$R_{\text{th},s-a} \leq \frac{(125^\circ\text{C} - 45^\circ\text{C})}{130 \text{ W}} = 0,045 - 0,025$$

$$R_{\text{th},s-a} \leq 0,1545 \text{ K/W}$$

* TEMP u mreži

$$T_s = R_{th,sa} \cdot P_{tot} + T_a = (0,575 - 1,2)^\circ C + 45^\circ C$$

$$T_s = 45,85^\circ C$$

* TEMP u mreži

$$T_c = T_s + R_{th,se} \cdot P_{tot} = 45,85^\circ C + 0,015 \cdot 1500W$$

$$T_c \approx 119^\circ C$$

U Beogradu 16.12.2018

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